## Annual Teaching plan For the Year 2016-17

## S.Y.B. Sc. (Physics) Semester I (Paper I) PH211: MATHEMATICAL MEHODS IN PHYSICS Tentative schedule

Sr.No.	Month	Syllabus
1	June	1. Complex Numbers (3)
		1.1 Introduction to complex numbers.
		1.2 Rectangular, polar and exponential forms of complex numbers
2	July	1. Complex Numbers (9)
	-	1.3 Argand diagram
		1.4 Algebra of complex numbers using mathematical and Argand diagram
		1.5 De-Moivre's Theorem
		1.6 Powers, roots and log of complex numbers.
		1.7 Trigonometric, hyperbolic and exponential functions.
		1.8 Applications of complex numbers to determine velocity and
		acceleration in
		curved motion
		1.9 Problems.
		2. Partial Differentiation (5)
		2.1 Definition of partial differentiation
		2.2 Successive differentiation
		2.3 Total differentiation
		2.4 Exact differential
		Test on Complex Numbers and Partial Differentiation
		Assignment 1
3	Aug	2. Partial Differentiation (7)
		2.5 Chain rule
		2.6 Theorems of differentiation
		2.7 Change of variables from Cartesian to polar co-ordinates.
		2.8 Implicit and explicit functions
		2.9 Conditions for maxima and minima (without proof)
		2.10 Problems.
		3. Vector Algebra (06)
		3.1 Introduction to scalars and vectors:
		3.2 dot product and cross product of two vectors and its physical
		significance
		3.3 Scalar triple product and its geometrical interpretation.
		3.4 Vector triple product and its proof.
		3.5 Problems.
		Test on Partial Differentiation and Vector Algebra
		Assignment 2
4	Sept	4. Vector Analysis (12)

		4.1 Introduction
		4.2 Scalar and vector fields
		4.3 Differentiation of vectors with respect to scalar.
		4.4 Vector differential operator and Laplacian operator
		4.5 Gradient of scalar field and its physical significance.
		4.6 Divergence of scalar field and its physical significance
		4.7 Curl of vector field
		4.8 Vector identities
		a. $\tilde{N}x\tilde{N}\phi = 0$
		b. $\tilde{N}.(\tilde{N}x V) = 0$
		c. $\tilde{N}.(\tilde{N}\phi) = \tilde{N}_2\phi$
		d. $\tilde{N}.(\phi A) = \tilde{N}\phi. A + \phi (\tilde{N}.A)$
		e. $\tilde{N}X(\phi A) = \phi(\tilde{N}XA) + (\tilde{N}\phi)XA$
		f. $\tilde{N}.(A X B) = B. (\tilde{N}X A) - A.(\tilde{N}X B)$
		4.9 Problems.
		Test on Vector Analysis
		Test on Vector Analysis Assignment3
5	Oct	Test on Vector Analysis      Assignment3      5. Differential Equation (06)
5	Oct	Test on Vector Analysis      Assignment3      5. Differential Equation (06)      5.1 Frequently occurring partial differential equations (Cartesian
5	Oct	Test on Vector Analysis      Assignment3      5. Differential Equation (06)      5.1 Frequently occurring partial differential equations (Cartesian coordinates)
5	Oct	Test on Vector Analysis      Assignment3      5. Differential Equation (06)      5.1 Frequently occurring partial differential equations (Cartesian coordinates)      5.2 Degree, order, linearity and homogeneity of differential equation.
5	Oct	Test on Vector Analysis      Assignment3      5. Differential Equation (06)      5.1 Frequently occurring partial differential equations (Cartesian coordinates)      5.2 Degree, order, linearity and homogeneity of differential equation.      5.3 Concept of Singular points, Example of singular points
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5	Oct	Test on Vector Analysis Assignment3 5. Differential Equation (06) 5.1 Frequently occurring partial differential equations (Cartesian coordinates) 5.2 Degree, order, linearity and homogeneity of differential equation. 5.3 Concept of Singular points. Example of singular points ( $x = 0, x = x0$ and $x = \infty$ ) of differential equation. 5.4 Problems. Additional Activity: Four tutorials containing 10 unsolved problems each from suggested references. Test on Differential Equation Assignment 4
5	Oct	Test on Vector Analysis Assignment3 5. Differential Equation (06) 5.1 Frequently occurring partial differential equations (Cartesian coordinates) 5.2 Degree, order, linearity and homogeneity of differential equation. 5.3 Concept of Singular points. Example of singular points ( $x = 0$ , $x = x0$ and $x = \infty$ ) of differential equation. 5.4 Problems. Additional Activity: Four tutorials containing 10 unsolved problems each from suggested references. Test on Differential Equation Assignment 4 Internal examination

#### **Reference Books:**

- 1. Methods of Mathematical Physics by Laud, Takwale and Gambhir
- Mathematical Physics by B. D. Gupta
  Mathematical Physics by Rajput and Gupta
- 4. Mathematical Methods in Physical Science by Mary and Boas
- 5. Vector analysis by Spiegel and Murrey
- 6. Mathematical Methods for Physicists by Arfken and Weber, 5th Edition, Academic Press.

By-S. K Thorat

# FOR S.Y.B. Sc. (Physics) Semester II (Paper I) PH221: OSCILLATIONS, WAVES AND SOUND Tentative schedule

Sr.No.	Month	Syllabus
1	Dec	1. Undamped Free Oscillations (09)
		1.1 Different types of equilibria (stable, unstable, and neutral equilibrium)
		1.2 Potential well and periodic oscillations, Approximation of a general
		potential
		well $V(x)$ to a parabola for small oscillations
		1.3 Definition of linear and angular S.H.M.
		1.4 Differential equation of S.H.M. and its solution (exponential form)
		1.5 Composition of two perpendicular linear S.H.Ms. for frequencies 1:1
		and 1:2
		(analytical method)
		1.6 Lissajous's figures and its uses, Applications (mechanical, electrical and
		optical)
		1.7 Problems.
		2. Damped Oscillations (05)
		2.1 Introduction
		2.2 Differential equation of damped harmonic oscillator and its solution,
		discussion of different cases.
		2.3 Logarithmic decrement
		Test on Undamped Free Oscillations
		Tutorials on Undamped Free Oscillations
2	Jan	2. Damped Oscillations (04)
		2.4 Energy equation of damped oscillations
		2.5 Power dissipation
		2.6 Quality factor
		2.7 Application: LCR series circuit
		2.8 Problems.
		<b>3.</b> Forced Oscillations (10)
		3.1 Forced oscillation with one degree of freedom
		3.2 Differential equation of forced oscillation and its solution (transient and
		steady
		state) Amplitude of forced oscillation
		3.3 Resonance and its examples: mechanical (Barton's pendulum), optical
		(sodium vapour lamp),

		3.4 Velocity and Amplitude resonance
		3.5 Sharpness of resonance
		3.6 Energy of forced oscillations
		3.7 Power dissipation
		3.8 Quality factor and Bandwidth
		3.9 Application of forced oscillations
		3 10 Equation of coupled oscillations
		3 11 Problems
		Test Conduction on Damped Oscillations and Undamped Free
		Oscillations
		Tutorials on Damned Oscillations and Undamned Free Oscillations
		Tutorius on Dumpeu Osemutons una enaumpeu Tree Osemutons
3	Feb	4. Wave Motion (08)
		4.1 Differential equations of wave motion in continuous media
		4.2 Equations for longitudinal waves and it's solution (one dimension only)
		4.3 Equation for transverse waves and its solution (one dimension only)
		4.4 Energy density and intensity of a wave
		4.5 Discussion of seismic waves
		4.6 Problems.
		5. Doppler Effect (06)
		5.1 Explanation of Doppler effect in sound
		5.2 Expression for apparent frequency in different cases.
		5.3 Asymmetric nature of Doppler effect in sound
		Test Conduction on Wave Motion and Doppler Effect
		Tutorials on Heat Wave Motion and Doppler Effect
4	Mar	5.4 Doppler effect in light, symmetric nature of Doppler effect in light.
		5.5 Applications: Red shift, Violet shift, Radar,
		5.6 Problems.
		6. Sound (06)
		6.1 Definition of sound intensity, loudness, pitch, quality and timber
		6.2 Acoustic intensity level measurement
		6.3 Acoustic pressure and it's measurement
		6.4 Reverberation time and Reverberation of a hall
		6.5 Sabine's formula (without derivation)
		6.6 Stroboscope
		6.7 Problems
		Test Conduction on Sound
		Tutorials on Sound
		Revision and problem Solving
		Internal examination

## **Reference Books:**

 Waves and Oscillations, Stephenson
 The physics of waves and oscillations, N. K. Bajaj, Tata McGraw- Hill, Publishing co. ltd.

3. Fundamentals of vibration and waves, SPPuri,Tata McGraw-Hill Publishing co. ltd.4. A text book of sound, Subramanyam and Brijlal, Vikas Prakashan

- 5. Sound, Mee, Heinmann, Edition London
- 6. Waves and Oscillations, R.N. Chaudhari, New age international (p)ltd.

By-S. K Thorat